Sequence 2 : The farm model

Unit 2.1 : Enriching the base model

Lesson 11 : Representing production technologies

Florence Jacquet

ModelEco





- More inputs
- Producing more
- Increasing income
- Increasing food availability



Issues Less inputs Reducing negative impacts on the environment and health



Intensification vs extensification





Ex : seeds, fertilizers, treatment products







Technological progress vs different technologies

Technological progress :

Different production technologies :



Substitution or complementary factors and technological leaps



(ex : mechanical weeding)



Firstly :

> Complementary factors :

Land + labour Seeds + land + fertilizer Treatment products + labour + fertilizer

> Substitution factors :

Mechanization : substitution of labour for capital Substitution of land for fertilizers (partial) Substitution of chemical products for labour or capital

Secondly :

Technological leaps For example : the purchase of a new machine, system change



Representing production technologies

Technology = (~crop practices) Quantity of inputs Calendar of operations

. . .





Wheat/maize model with two production technologies

Maximiz	$Z = 450 X_1 + 1000 X_2$	X_1 area dedicated to wheat (ba)				
With	$X_1 + X_2 \le 50$	X_2 area dedicated to maize				
	$25 X_1 + 50 X_2 \le 2000$	(na)				
	$\mathbf{X}_1 \geq 0$; $\mathbf{X}_2 \geq 0$					
Maximize	$Z = 425 X_{1E} + 450 X_{1I} + 800 X_{2E} + 100$	$\begin{array}{llllllllllllllllllllllllllllllllllll$				
With	$X_{1E} + X_{1I} + X_{2E} + X_{2I} \le 50$	X_{11} intensive wheat area (ha) X_{2E} extensive maize area (ha)				
	$15 X_{1E} + 25 X_{1I} + 45 X_{2E} + 50 X_{2I} \le 20$	Λ_{21} intensive marze area (na)				
	$X_{1E} \geq 0$; $X_{1I} \geq 0 ~~X_{2E} \geq 0$; $X_{2I} \geq 0$					



Modifying the objective function

ModelEco

$$Z = 425 \bigotimes_{E} + 450 \bigotimes_{II} + 800 \bigotimes_{E} + 1000 \bigotimes_{II}$$

 $Z = \sum_{C} \left[\sum_{T} (GM_{C,T} * X_{C,T}) \right]$ $Z = e = sum [C, {sum (T, GM (C, T) * X (C, T) }]$ OR QR $Z = \sum_{C,T} \left[GM_{C,T} * X_{C,T} \right]$ Z = e = sum [(C, T), GM (C, T) * X (C, T)]

Condensed writing

Writing in GAMS

Modifying constraints

 $X_{1E} + X_{1I} + X_{2E} + X_{2I} \le 50$ 15 X_{1E} + 25 X_{1I} + 45 X_{2E} + 50 X_{2I} ≤ 2000



 $\sum_{C,T} X_{C,T} \le 50 \qquad \text{Land constraint} \qquad \sup[(C,T), X(C,T)] = 1 = 50$ $\sum_{C,T} LN_{C,T} * X_{C,T} \le 2000 \qquad \text{Labour constraint} \qquad \sup[(C,T), LN(C,T) * X(C,T)] = 1 = 2000$

Condensed writing

Writing in GAMS

Modifying variables

$$X_{1E} \geq 0$$
 ; $X_{1I} \geq 0 ~~ X_{2E} \geq 0$; $X_{2I} \geq 0$

 \rightarrow (Variable) $X_{C,T}$ Area per crop and per technology

$$X_{C,T} \ge 0 \forall C,T$$

POSITIVE VARIABLE X ;

Condensed writing

Writing in GAMS



Modifying data

	Initial model	Model with crop practices
SET	C /wheat, maize/	C /wheat, maize/ T /ext, int/
DATA	GM(C)	GM(C, T)
	LN(C)	LN(C, T)

			Labour needs		;				
Example I N(C T)	BMO(C, T)								
Example EN(C,T)	Technolog	ЭУ	EXT	INT					
	WHEAT		15	25					
	MAIZE		45	50					
Writing in GAMS	TABLE								
	LN(C,T)		labour	needs	per	crop	and	per	technology
		ext	int						
	wheat	15	25						
	maize	45	50	;					

