

Sequence 2 : The farm model

Unit 2.3 : Simulating a public policy

Lesson 19 : The CAP and the agri- environment

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ModelEco

CAP and the environment

Initial objectives of the CAP :

- to modernize European agriculture
- to increase labour and land productivity
- to improve the income of farmers



- Guaranteed-high-prices policy
- Intensification of practices via the use of chemical inputs
- Encouraging farm restructuring and expansion
- Farm specialization



- Water and soil pollution
- Loss of biodiversity
- Overexploitation of water resources



Regulations

How is it possible to revert to more environmentally-friendly production systems and practices ?

❑ Regulations

Imposing stricter rules

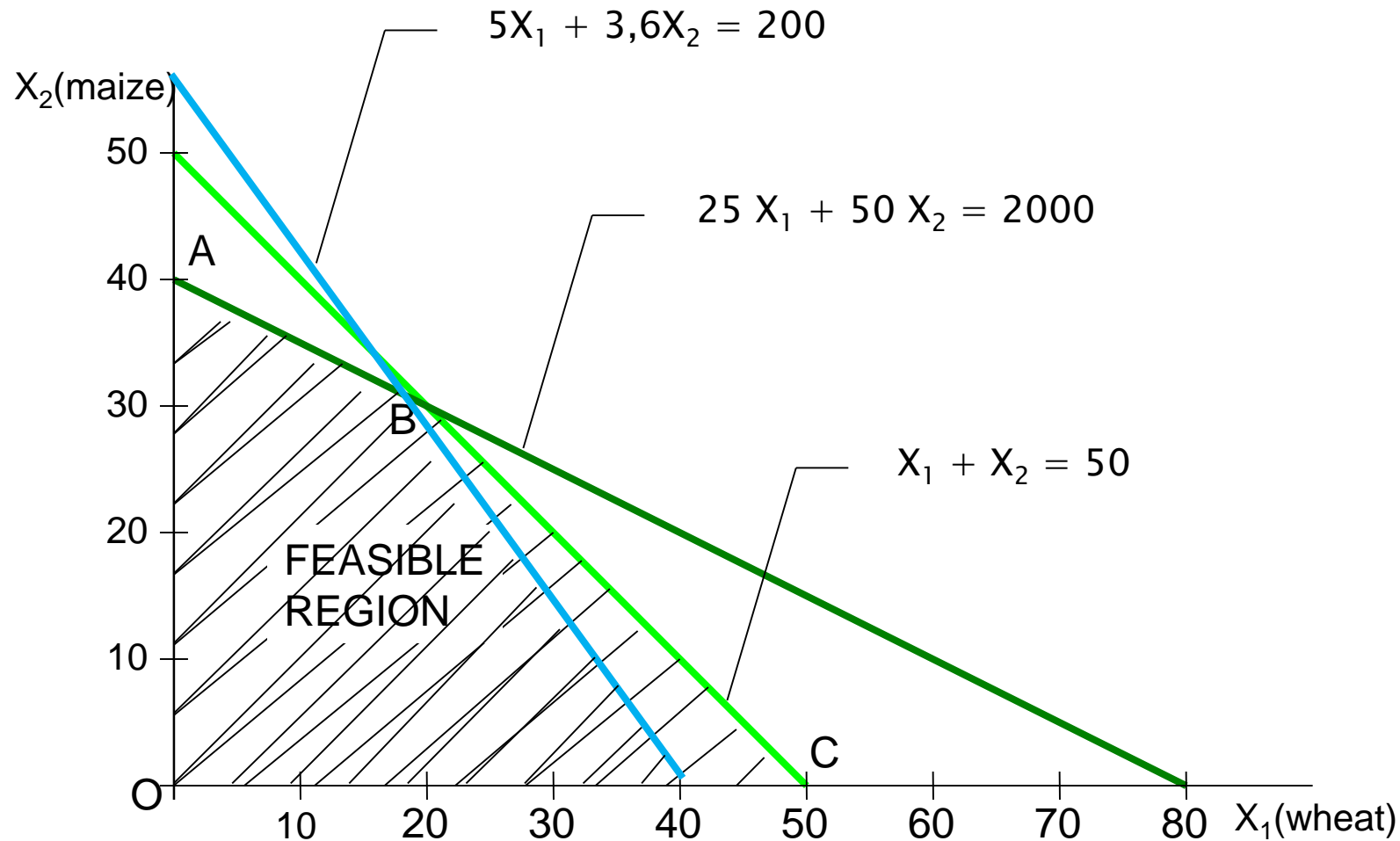


The rules can concern :

- Forbidden products or practices
- Compulsory practices
- They may be applicable everywhere or only on vulnerable territories



Returns to adding a constraint



Regulations- Example

$$\begin{aligned} &\text{Max} && Z = 450 X_1 + 1000 X_2 \\ &\text{subject to} && X_1 + X_2 \leq 50 \\ &&& 25 X_1 + 50 X_2 \leq 2000 \\ &&& X_1 \geq 0 ; X_2 \geq 0 \end{aligned}$$

What are the impacts of different levels of regulation?

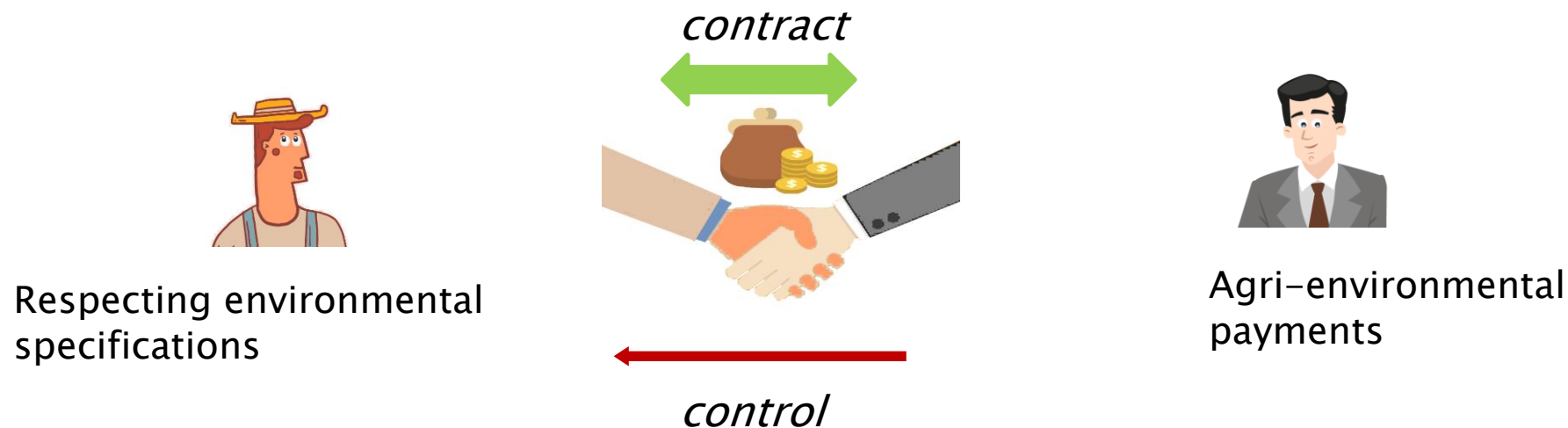


Subsidies

How is it possible to revert to more environmentally-friendly production systems and practices ?

□ Subsidies

→ e.g. : *Agro-environment-climate measures (AECM)*



Compensate farmers who opt for more environmentally-friendly practices, which can be more costly or cause yield losses

Subsidies – Example

Two possibilities, the farmer chooses the best solution

if and only if the constraint is respected

$$\text{Max } r \quad Z = 450 X_1 + 1000 X_2$$

$$\text{subject to } X_1 + X_2 \leq 50$$

$$25 X_1 + 50 X_2 \leq 2000$$

$$X_1 \geq 0 ; X_2 \geq 0$$

$$\text{Max } r \quad Z = 450 X_1 + 1000 X_2 + (X_1 + X_2) * \text{subs}$$

$$\text{subject to } X_1 + X_2 \leq 50$$

$$25 X_1 + 50 X_2 \leq 2000$$

$$X_1 \geq 0 ; X_2 \geq 0$$

$$5 X_1 + 3.6 X_2 \leq \text{MAXTFI}$$

Taxes

How is it possible to revert to more environmentally-friendly production systems and practices ?

□ Taxes

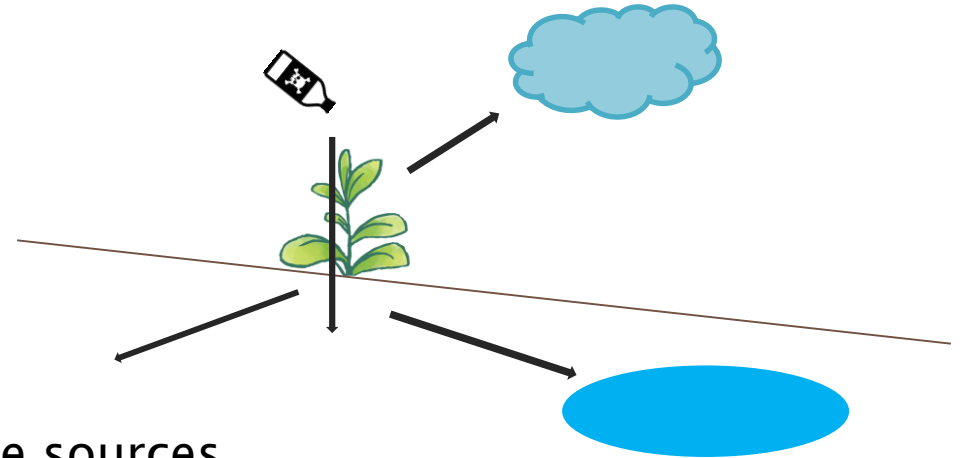
Taxing farmers who cause environmental damage (polluter pays principle)

But agricultural pollution comes from many diffuse sources

Alternative : Taxing polluting products in order to make them more expensive and therefore less attractive

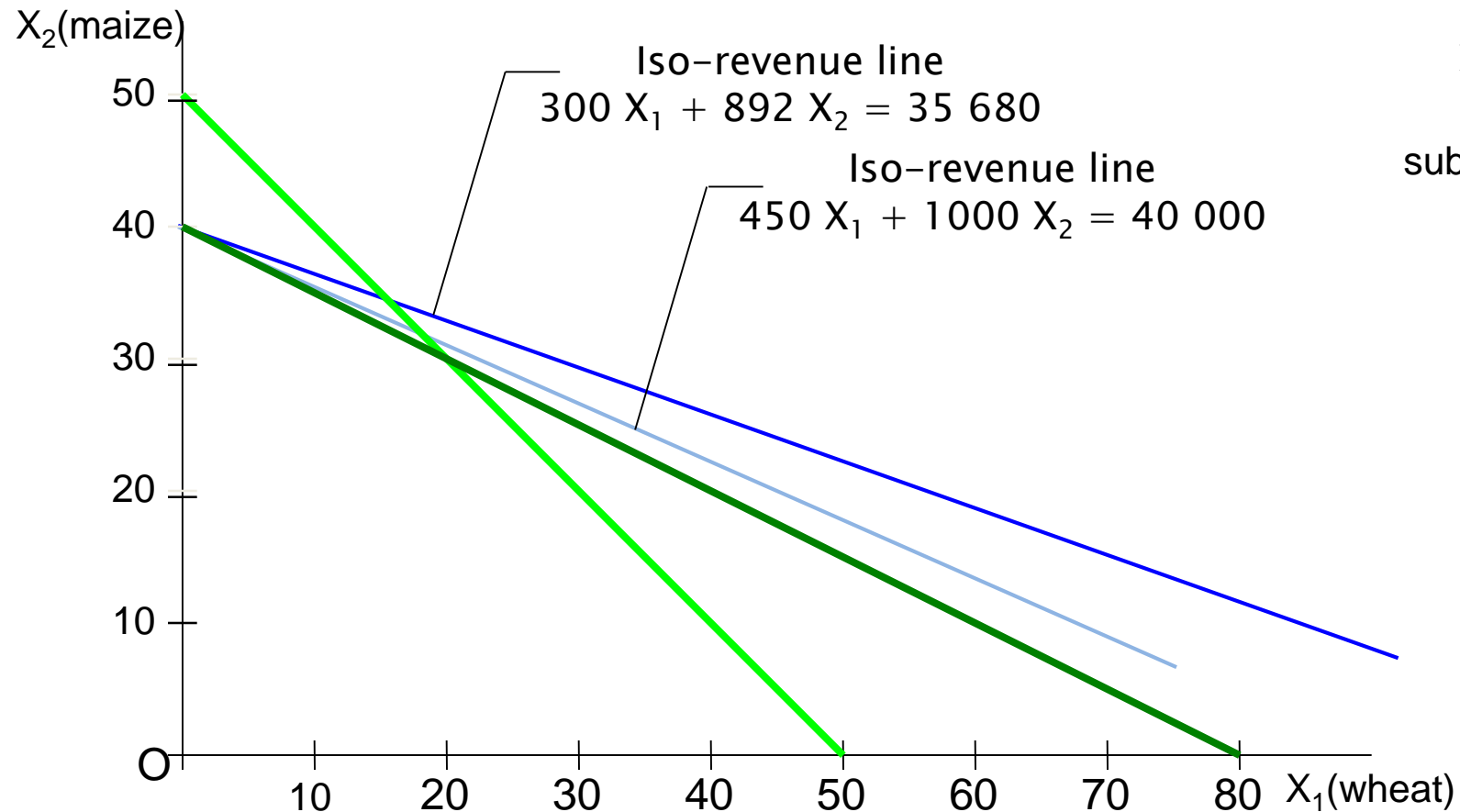
→ e.g. : « non-point source pollution tax » levied by water agencies

price + tax



Modifies the gross margin and therefore the slope of the isorevenue lines

Taxes - Example



$$Z = 300 X_1 + 892 X_2$$

Max ~~$Z = 450 X_1 + 1000 X_2$~~

subject to $X_1 + X_2 \leq 50$

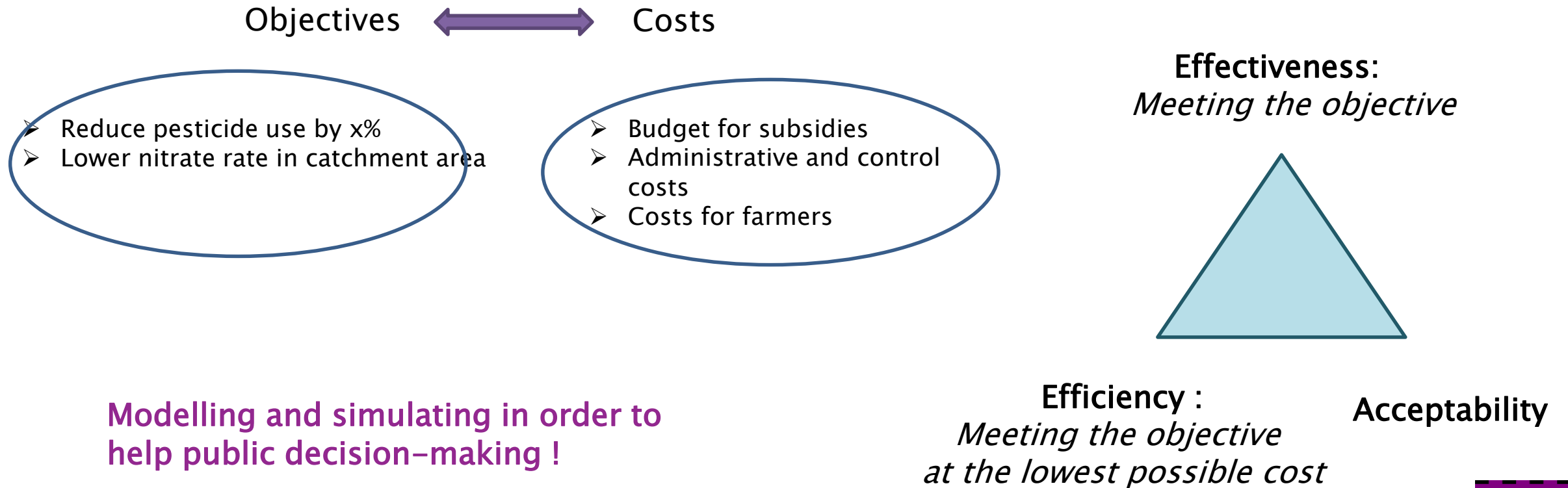
$$25 X_1 + 50 X_2 \leq 2000$$

$$X_1 \geq 0 ; X_2 \geq 0$$

Tax on the use of
phytosanitary
products: 30€/unit

Additional costs :
 $5 \cdot 30 = 150$ for wheat
 $3.6 \cdot 30 = 108$ for maize

Assessing and comparing different options



Modelling and simulating in order to help public decision-making !

Example



- Cereal farm (lesson 11)

- 2 crops : wheat, maize
- 2 technologies : intensive, extensive
- 2 constraints : land and labour
- To measure pesticide use, the treatment frequency index (IFT) is used

- ▶ **Policy :**

- 1. **Regulations** : Prohibition to exceed a threshold

How to make the simulation of several price levels automatic ?

GAMS: LOOP

- 2. **Subsidy** :Subject to compliance with a maximum of 140 IFT/ha

How to introduce an « if... then... » condition in equations ?

GAMS: binary variable

Policy: Regulations -> Prohibition to exceed more than 140IFT/ha Regulations – Example

```

*-----
sets
C crops /wheat,maize/
;

*-----
DATA
scalar
LAND_A      land availability in hectares      /50/
LABOUR_A    labour availability in hours       /2000/
RTFI        regulatory limit for operation     /140/
;

LN(C) labour needs per hectare and per crop (hours)
/wheat  25
maize  50/

GM(C) gross margin per crop (euros)
/wheat  450
maize  1000/

;

```

```

*-----
MODEL
variables
Z      total farm income (euros)
;

positive variables
X area per crop (hectares)
;

equations
OBJECTIVE      objective function
LAND          land equation
LABOUR        labour equation
;

OBJECTIVE..   sum(c, GM(c)*X(c)) =E= Z ;
LAND..       sum(c, X(c)) =1= LAND_A ;
LABOUR..     sum(c, LN(c)*X(c)) =L= LABOUR_A ;

model example first example /all/;

*-----
SOLUTION
solve example using LP maximizing Z;

```

Policy: Regulations → Prohibition to exceed more than ?TFI/ha
Simulation of several price levels automatic

Regulations – Example

```

*-----
sets
C crops /wheat,maize/

;

*-----
scalar
LAND_A      land availability in hectares      /50/
LABOUR_A    labour availability in hours      /2000/
RTFI        regulatory limit for operation     /140/
;

parameter
LN(C) labour needs per hectare and per crop (hours)
/wheat  25
maize  50/

GM(C) gross margin per crop (euros)
/wheat  450
maize  1000/

TFI(C) tfi per hectare and per crop
/wheat 5, maize 3.6/
;

```

```

*-----
MODEL
variables
Z      total farm income (euros)
;
positive variables
X area per crop (hectares)
;

equations
OBJECTIVE      objective
LAND           land equation
LABOUR         labour equation
TFIMax        reglementation
;

OBJECTIVE..   sum(c, GM(c)*X(c)) =E= Z ;

LAND..        sum(c, X(c)) =L= LAND_A ;

LABOUR..      sum(c, LN(c)*X(c)) =L= LABOUR_A ;

TFIMax..     sum(c, X(c)*TFI(C)) =L= RTFI ;

model example first example /all/;

;

solve example using LP maximizing Z;

```

Pause the slideshow and introduce this policy into the primal0.gms model yourself and study the impact on crop rotation and income

Two possibilities, the farmer chooses the best solution

Subsidies – Example

if and only if the constraint is respected

$$\begin{aligned} \text{Max } r \quad Z &= 450 X_1 + 1000 X_2 \\ \text{subject to} \quad X_1 + X_2 &\leq 50 \\ 25 X_1 + 50 X_2 &\leq 2000 \\ X_1 \geq 0; X_2 &\geq 0 \end{aligned}$$

$$\begin{aligned} \text{Max } r \quad Z &= 450 X_1 + 1000 X_2 + (X_1 + X_2) * \text{subs} \\ \text{subject to} \quad X_1 + X_2 &\leq 50 \\ 25 X_1 + 50 X_2 &\leq 2000 \\ X_1 \geq 0; X_2 &\geq 0 \\ 5 X_1 + 3.6 X_2 &\leq \text{MAXTFI} \end{aligned}$$

$$\begin{aligned} \text{Max } r \quad Z &= 450 X_1 + 1000 X_2 + (X_1 + X_2) * \text{subs} \\ \text{subject to} \quad X_1 + X_2 &\leq 50 \\ 25 X_1 + 50 X_2 &\leq 2000 \\ X_1 \geq 0; X_2 \geq 0 \quad B = \{0;1\} \quad \text{bigM} = 1000 \\ 5 X_1 + 3.6 X_2 &\leq \text{MAXTFI} + \text{bigM} * (1-B) \end{aligned}$$

If B=1 then there is the subsidy
the constraint is respected

$$5 X_1 + 3.6 X_2 \leq \text{MAXTFI}$$

If B=0 then no subsidy
the constraint is disabled

$$5 X_1 + 3.6 X_2 \leq \text{MAXTFI} + 1000$$

because always true

Subsidies – Example – En GAMS

Policy : if the farmer has no intensive practices then he receives a per-hectare premium

```

*-----
sets
C crops /wheat,maize/
;

*-----
DATA
scalar
LAND_A      land availability in hectares      /50/
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RTFI        regulatory limit for operation     /140/

;

parameter
LN(C) labour needs per hectare and per crop (hours)
/wheat  25
maize
GM(C)
/wheat
maize
TFI(C)
/wheat 5, maize 10,
;
    
```

Pause the slideshow and introduce this policy into the primal0.gms model yourself, with a 100€ per-hectare premium and a constraint at 140 TFI/ha

```

variables
Z      total farm income (euros)
;

positive variables
X area per crop (hectares)
;

equations
OBJECTIVE      objective function
LAND           land equation
LABOUR         labour equation
TFIMax         reglementation
;

OBJECTIVE..   sum(c, GM(c)*X(c))                =E= Z ;

LAND..        sum(c, X(c)) =L= LAND_A ;

LABOUR..      sum(c, LN(c)*X(c)) =L= LABOUR_A ;

TFIMax..      sum(c, X(c)*TFI(C)) =L= RTFI

model example first example /all/;

*-----
SOLUTION
solve example using      maximizing Z;
    
```



2 variables multiplied together + binary variable
-> model type MINLP

